

PhyzLab: Like, Totally Stressed

an investigation of Hooke's law

PERIOD	1.	2.	3.	4.
GROUP				

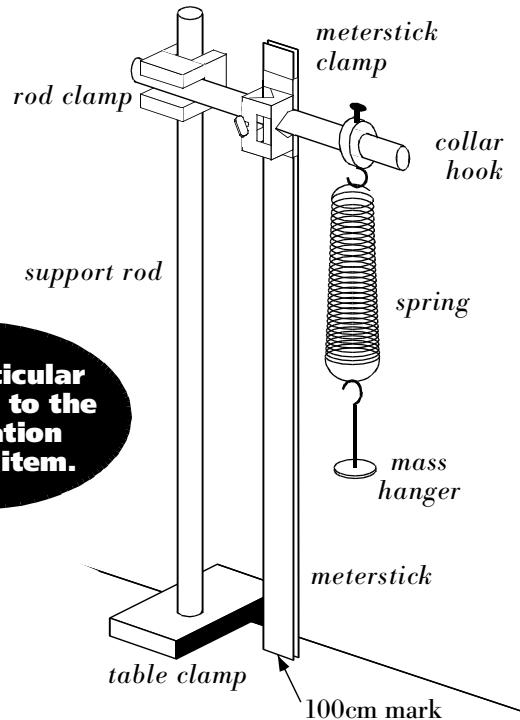
• Purpose •

In this activity, you will discover the relation between the stressing force acting on a spring and the subsequent stretching of the spring. In reality, all objects act like springs to some extent: even the strongest "solid" objects can be thought of as very stiff springs. Therefore, you are really exploring the behavior of any thing when that thing is "under stress." We'll use springs in the lab only because they are easier to analyze than other solid objects.

• Apparatus •

- table clamp or rod base
- support rod
- crossbar
- meterstick
- meterstick/rod clamp
- mass hanger
- slotted masses (1 50 g, 1 100 g, 2 200 g)
- brass spring
- collar hook

Pay particular attention to the orientation of each item.



• Set-Up •

1. Arrange the apparatus as shown above.

a. **Pay particular attention to the orientation of each element. Check every step of the construction.**

b. Attach the meterstick vertically in the meterstick clamp (0 cm on top, 100 cm on bottom). You should have over 80 cm of clearance below the meterstick clamp.

2. Record the initial location of the hanger (with 0 grams of slotted mass) on the data table.

LOW-TECH: Paper and pencil. HIGH-TECH: Computer: Excel Spreadsheet "2.03 Stressed Out"

• Procedure •

STRETCH IT OUT

Measure the amount of stretch the spring undergoes for various loads (amount of stressing force) by following these steps:

1. Load mass onto the mass hanger until the spring stretches at least 0.5 cm from its unloaded position. One member of the group should cup his/her hands below the loaded mass hanger to prevent minor tragedies.
2. Record the mass and new hanger location.
3. Continue loading additional mass and recording the corresponding pointer locations. Proceed in 50 g increments; do not exceed 500 g. There will be many empty rows in the data table when you are done.

• Calculations and Graph •

1. Stretch. This is how much the spring has stretched beyond its unloaded length. Subtract the original pointer position value from the new pointer position value to determine the stretch in centimeters, then convert this value to meters. The first value of stretch (with 0 grams of slotted mass) is 0 m.

2. Load Force. This is the weight of the slotted masses. Convert the slotted mass values to kilograms and multiply that mass by gravitational acceleration to determine the weight of the load.
 3. Graph Load Force vs. Stretch. Remember to include all the details of a correctly plotted graph. Draw a best-fit line through your plot.
 4. Use the letter k to represent the slope of the plotted line. Write an expression for the slope (k) in terms of load (F) and stretch (x).
5. Determine the slope of the line
- a. directly from the graph. [HIGH-TECH: Use Excel's analysis tools.]
 - b. calculated using measured data. Use several pairs of points and determine an average. (Use the unused column on the data table.) [HIGH-TECH: Skip.]
6. Determine an equation for this line. (Remember you are working with F vs. x , not y vs. x .) Test your equation on some of your data to see if it is a reasonable representation. This equation—in the form $F = kx$ —is **Hooke's Law**, named in honor of British physicist Robert Hooke (1635-1703), a contemporary and bitter rival* of Isaac Newton (1642-1727).

• Unknown •

Obtain an object of unknown mass from your instructor. Use your spring system and the data you have collected to determine the mass of the object.

1. Describe your method. (Record data in the empty spaces of the original data table.)

2. Record the value you feel is the correct mass of the object in ink:

$$m = \underline{\hspace{2cm}} \text{ g.}$$

3. Take the object to your instructor for a determination of the correct mass of the object. Calculate the percent error of your determination of the object's mass.

$$M = \underline{\hspace{2cm}} \text{ g.}$$

$$\%E = \underline{\hspace{2cm}}.$$

*Newton had all portraits of Robert Hooke destroyed after Hooke's death.

• **Analysis •**

1. What does the slope of the graphed line indicate?
a. Which ratio better describes the slope?

Force per stretch

Stretch per force

- b. Suppose a load of 3 N stretched the spring 0.5 m.
i. What is the meaning of $3/0.5$ in this context?

ii. What is the meaning of $0.5/3$ in this context?

iii. Which of these is also a description of the slope of the graphed line? (Box it.)

2. Suppose another spring were used in the experiment.

a. If the slope of the resulting line were steeper (greater), what would that indicate about the spring?

b. If the slope of the resulting line were shallower (lesser), what would that indicate about the spring?

3. On your graph, add and label a line for a stronger spring. Add and label a line for a weaker spring.

4. Use your graph to determine answers to the following questions.

a. What is the weight of an object that stretches your spring 0.27 m?

b. How far would a 3.25N object stretch the spring?

5. Use your equation (from part 6 of the Calculations and Graph section above) to calculate answers to the following questions.

a. What is the weight of an object that stretches your spring 0.27 m?

b. How far would a 3.25 N object stretch the spring?