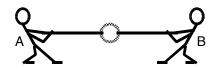
## PhyzJob: Operation "Libra"



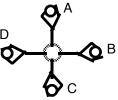
1. A ring has two ropes attached to it. Two people pull the ropes as shown, but the ring does not move.



- a. If person A is pulling with a force of 100 N, how much force must person B be pulling with?
- b. Write the force exerted by person A in rectangular vector form:  $\mathbf{F}_{\mathbf{A}} = ($ ). (Remember, left on the *x*-axis is considered negative.)

Write the force exerted by person B in rectangular vector form:  $\mathbf{F}_{\mathbf{B}} = ($ 

- c. Add the vectors  $\mathbf{F}_{\mathbf{A}}$  and  $\mathbf{F}_{\mathbf{B}}$ .
- d. If the forces were such that the sum was not equal to zero, what would that mean?
- 2. Consider a ring with four ropes attached to it. Four people pull on the ropes as shown, but the ring does not move.



**TOP VIEW** 

a. If A and B pull with 100 N of force, how hard are C and D pulling?

Force exerted by C =\_\_\_\_\_\_ Force exerted by D =\_\_\_\_\_\_

b. Suppose A pulled with 25 N and B pulled with 150 N. How hard must C and D pull to maintain balance?

Force exerted by  $C = \underline{\hspace{1cm}}$  Force exerted by  $D = \underline{\hspace{1cm}}$ 

c. Write out all the forces in part b in rectangular vector form. (DON'T FORGET SIGNS!)

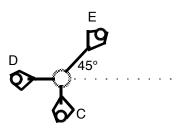
$$\mathbf{F_A} = ($$
 , )  $\mathbf{F_B} = ($  , )

$$\mathbf{F}_{\mathbf{D}} = \mathbf{0}$$

$$\mathbf{F_C} = ($$
 , )  $\mathbf{F_D} = ($  , )

- d. Add the vectors  $\mathbf{F}_{\mathbf{A}}$ ,  $\mathbf{F}_{\mathbf{B}}$ ,  $\mathbf{F}_{\mathbf{C}}$ , and  $\mathbf{F}_{\mathbf{D}}$ .
- e. What can you conclude about the vector sum of the forces when the ring is held stationary?

3. Suppose that the situation described in question 2 was changed in the following way. Persons A and B (and their ropes) are removed. Person E attaches a rope to the ring. Person C pulls with 100 N, person D pulls with 100 N, and person E pulls with  $F_E = (100 \text{ N}, 100 \text{ N})$ .



a. Compare the x-components of  $\mathbf{F}_{\mathbf{D}}$  and  $\mathbf{F}_{\mathbf{E}}$ . Do you notice any relation? If so, what is it?

Compare the y-components of  $\mathbf{F_C}$  and  $\mathbf{F_E}$ . Do you notice any relation? If so, what is it?

- b. Add the vectors.
- c. Why can you conclude that the ring will remain stationary?
- 4. Suppose C pulled with  $\mathbf{F_C} = (0, -30 \text{ N})$ , D pulled with  $\mathbf{F_D} = (-40 \text{ N}, 0)$ , and E pulled with  $\mathbf{F_E} = (40 \text{ N}, 0)$ 30 N). Would the ring move or remain stationary? Explain your reasoning.
- 5. If C pulled with  $\mathbf{F_C} = (0, -83 \text{ N})$ , and D pulled with  $\mathbf{F_D} = (-57 \text{ N}, 0)$ , what force would E have to pull with to keep the ring from moving?
- 6. Suppose E pulled with  $F_E = (66 \text{ N}, 33 \text{ N})$ . With what force would C and D have to pull to keep the ring from moving? (Remember that C can only pull downward and D can only pull to the left.)
- 7. Consider another ring which is being pulled in different directions by persons J, K, L, and M. The forces exerted by J, K, and L are as follows:

$$\mathbf{F_J} = (10 \text{ N}, -20 \text{ N})$$
  $\mathbf{F_K} = (-20 \text{ N}, -10 \text{ N})$   $\mathbf{F_L} = (30 \text{ N}, 40 \text{ N})$ 

$$\mathbf{F}_{\mathbf{K}} = (-20 \text{ N}, -10 \text{ N})$$

$$\mathbf{F_L} = (30 \text{ N}, 40 \text{ N})$$

- a. What must M's force be to keep the ring in balance?
- b. Sketch a diagram of this situation.